

## Supplemental Activities

**Module:** Atomic Theory

**Section:** Electron Configurations of Many  
Electron Atoms - [Key](#)

# Rules and Quantum Numbers

## Activity 1

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1. Match each idea on the left with the appropriate explanation or definition:

b. Pauli Exclusion Principle

a. electrons must be placed in separate degenerate orbitals first before pairing.

a. Hund's Rule

b. requires the use of  $m_s$  as the fourth quantum number.

c. Aufbau principle

c. electron configurations in the ground state are built up from the lowest energy levels to higher energy levels.

2. The fourth quantum number,  $m_s$ , can have the value of  $+\frac{1}{2}$  or  $-\frac{1}{2}$ . Orbitals hold up to two electrons and because of the [Pauli Exclusion](#) principle a fourth quantum number is needed.
3. Within multi-electron atoms, the fact that the 2s orbital is lower in energy than the 2p orbitals is called a "[loss of degeneracy](#) within energy levels."

## Activity 2

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1. Identify the s, p, d and f blocks on the periodic table and write the order in which they are filled for a ground state atom (start with 1s and end with 7p).

1s		1s
2s		2p
3s		3p
4s	3d	4p
5s	4d	5p
6s	5d	6p
7s	6d	7p
4f		
5f		

<http://ch301.cm.utexas.edu/atomic/index.php#e-config/aufbau-principle.html>

$1s \rightarrow 2s \rightarrow 2p \rightarrow 3s \rightarrow 3p \rightarrow 4s \rightarrow 3d \rightarrow 4p \rightarrow 5s \rightarrow 4d \rightarrow 5p \rightarrow 6s \rightarrow 4f \rightarrow 5d \rightarrow 6p \rightarrow 7s \rightarrow 5f \rightarrow 6d \rightarrow 7p$

2. The orbital notation of the electron configuration of cesium is  $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^6 6s^2$ . Without looking at the periodic table, we know that cesium is in the [6th](#) row and in the [s](#) block.

# Ground State Electron Configurations

## Activity 1

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1. Write the ground state electron configuration for the following elements in three ways: the full electron configuration, the shorthand electron configuration and the orbital notation with the arrows.

- i. Beryllium

Full:  $1s^2 2s^2$

Shorthand:  $[\text{He}]2s^2$

Orbital Notation:

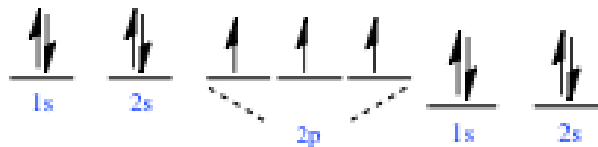


- ii. Nitrogen

Full:  $1s^2 2s^2 2p^3$

Shorthand:  $[\text{He}]2s^2 2p^3$

Orbital Notation:

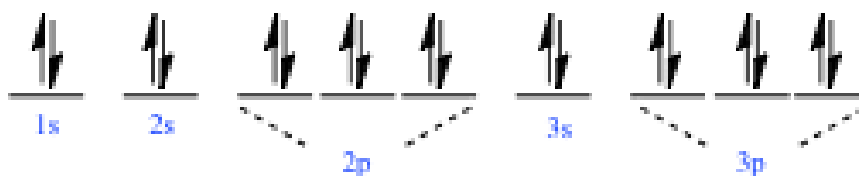


- iii. Argon

Full:  $1s^2 2s^2 2p^6 3s^2 3p^6$

Shorthand:  $[\text{Ar}]$

Orbital Notation:



2. Differentiate between the terms “subshell” and “orbital.”  
 A subshell refers to the *type* of orbital: s, p, d or f and can be determined from the quantum number  $l$ . Within a subshell there can be one (s), three (p), five (d) or seven (f) orbitals. The quantum number  $m_l$  tells us in which exact orbital an electron is residing.

## Activity 2

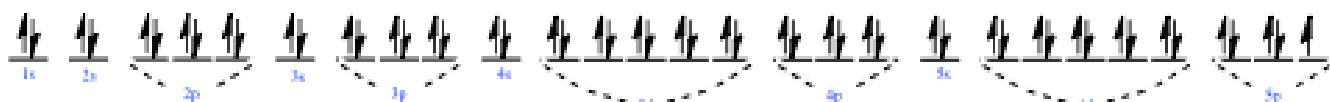
1. Write the ground state electron configuration for the following elements in three ways: the full ground state electron configuration, the shorthand electron configuration and the orbital notation with the arrows.

a. Iodine

Full:  $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^5$

Shorthand:  $[\text{Kr}] 5s^2 4d^{10} 5p^5$

Orbital Notation:

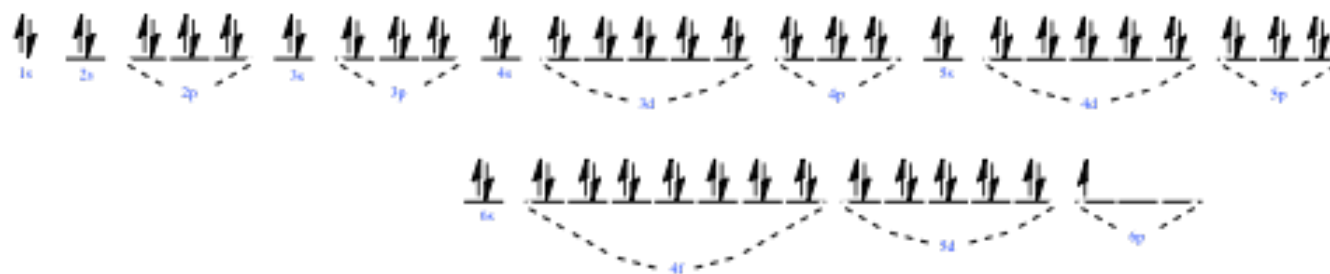


b. Thallium

Full:  $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^6 6s^2 4f^{14} 5d^{10} 6p^1$

Shorthand:  $[\text{Xe}] 6s^2 4f^{14} 5d^{10} 6p^1$

Orbital Notation:



2. Write a list of all the possible quantum numbers for an electron in a 4f subshell of bismuth (Bi).

$n = 4$  (fourth energy level)

$l = 3$  (in the f orbital)

$m_l = -3, -2, -1, 0, 1, 2, 3$  ( $m_l$  can range from  $-l$  to  $+l$ , so seven possibilities)

$m_s = -\frac{1}{2}, +\frac{1}{2}$  ( $m_s$  is either  $-\frac{1}{2}$  or  $+\frac{1}{2}$ )

There are fourteen unique sets of quantum numbers available to describe an electron found in a 3d orbital of Gallium:

$(4, 3, -3, -\frac{1}{2})$ ;  $(4, 3, -3, +\frac{1}{2})$ ;  $(4, 3, -2, -\frac{1}{2})$ ;  $(4, 3, -2, +\frac{1}{2})$ ;  $(4, 3, -1, -\frac{1}{2})$ ;  
 $(4, 3, -1, +\frac{1}{2})$ ;  $(4, 3, 0, -\frac{1}{2})$ ;  $(4, 3, 0, +\frac{1}{2})$ ;  $(4, 3, 1, -\frac{1}{2})$ ;  $(4, 3, 1, +\frac{1}{2})$ ;  
 $(4, 3, 2, -\frac{1}{2})$ ;  $(4, 3, 2, +\frac{1}{2})$ ;  $(4, 3, 3, -\frac{1}{2})$ ;  $(4, 3, 3, +\frac{1}{2})$

## Activity 3

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- Exceptions to ground state electron configurations occur in the **d** and **f** blocks when an atom is one electron shy of a **half**-filled or **fully or completely** filled subshell.
- Write the ground state electron configuration for the following elements in three ways: the full ground state electron configuration, shorthand electron configuration and the orbital notation with the arrows.

a. Copper

Full:  $1s^2 2s^2 2p^6 3s^2 3p^6 4s^1 3d^{10}$

Shorthand:  $[\text{Ar}] 4s^1 3d^{10}$

Orbital Notation:



b. Molybdenum

Full:  $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^5 5s^1 4d^5$

Shorthand:  $[\text{Kr}] 5s^1 4d^5$

Orbital Notation:



## Activity 4

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- Differentiate between the terms "core" and "valence."

Core refers to the electrons that are between the nucleus and the electrons in the highest energy level. Those electrons in the highest energy level are the valence electrons.

2. The shell model of an atom is sometimes referred to as the “planetary model.” Explain why you think people use this nickname and explain what the sun and planets correspond to in the shell model.

In the shell model the electrons orbit around the nucleus in fixed energy levels. In a similar way, planets orbit a star in predictable orbits. The sun corresponds to the nucleus of an atom in the shell model and the planets correspond to the electrons in orbit around the nucleus. However, there can be many electrons in the same energy shell unlike planetary systems (that we have observed) where a single planet dominates an orbit (smaller moons and asteroids might move in connection to this orbiting planet).